

# Transportation Economics and Decision Making



## Lecture-1

# Introduction



- Name
- Brief Introduction
- Did you take *Engineering Economy* in under graduation?
- How much do you recall *Engineering Economy* ?

# What is Transportation Economics



- A decision assistance tool used for rationally evaluating feasibility of any investment by making use of a set of mathematical techniques.
- In order to apply transportation economics principles it is necessary to understand basic terminologies and fundamental concepts.

# Alternative



- An alternative is a stand-alone solution for a given problem.
- We face alternatives in virtually everything we do.
- Examples-
  - Deciding the mode of transportation to work
  - Deciding on route choice to reach our destination
  - Departure time to work
  - Replace a bus or rehabilitate a bus
  - Rebuild a midblock or reconstruct
- Alternatives to a particular problem should always be comparable (*if needed they can be mutually exclusive*)

# Evaluation Criterion



- In order to compare different methods for accomplishing a given objective it is necessary to have an evaluation criterion that can be used for judging alternatives.
- Example:
  - While driving to a destination we often consider the best route. How did we quantify the best route?
  - May be
  - travel time,
  - travel cost,
  - Distance
- In economics various criterion includes dollars, number of years or some intangible factors.

# Time Value of Money

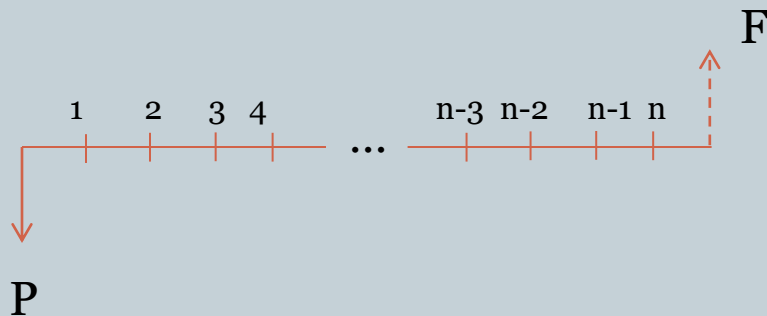


- When an alternative is quantified into dollars, it is imperative to recognize the time value of money.
- The change in amount of money over a given time period is called time value of money (one of the crucial concepts of economics).
- Manifestation of time value of money is termed as interest, which is a measure of the origin sum borrowed/invested; and the final amount owed or accrued.

# Compound Amount (CA)



- Given-  $P$ , Find - $F$
- Other data given:  $n, I$



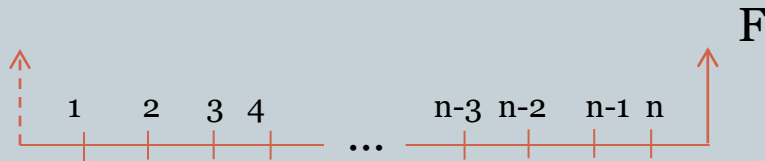
$$F = P(1 + i)^n, \text{ where CA} = (1 + i)^n$$

- Compound amount at the end of  $n$  periods.

# Present Worth (PW)



- Given-  $F$ , Find - $P$
- Other data given:  $n, i$



$P$

$$P = \frac{F}{(1+i)^n}, \text{ where } PW = \frac{1}{(1+i)^n}$$

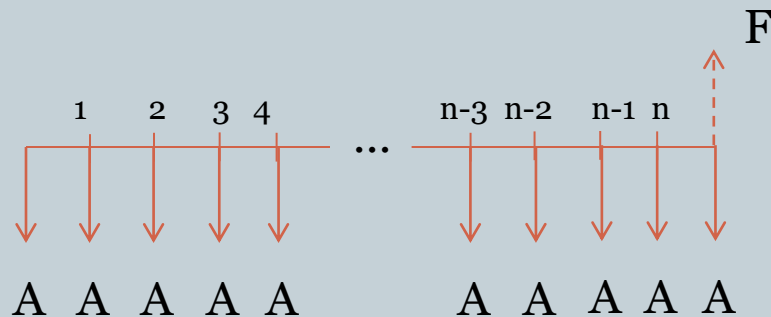
Present worth of single sum to be withdrawn at the end of “ $n$ ” periods in the future



# Series Compound Amount



- Given-A, Find-F
- Other data given:  $n, i$



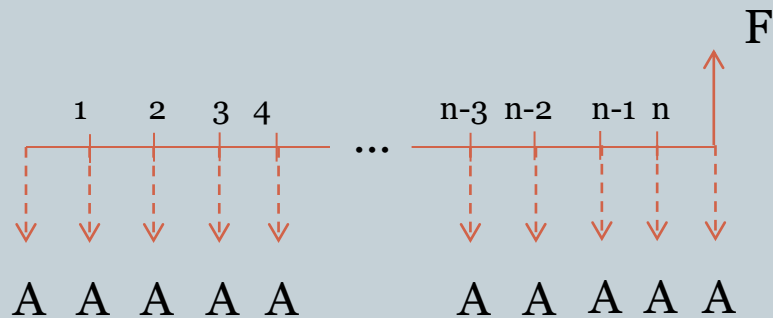
$$F = A \frac{(1+i)^n - 1}{i}, \text{ where } SCA = \frac{(1+i)^n - 1}{i}$$

Compound amount at the end of “ $n$ ” periods to which a series of payments ( $A$ ) of ‘ $n$ ’ uniform deposits will accumulate.

# Sinking Fund (SF)



- Given-F, Find-A
- Other data given:  $n, i$

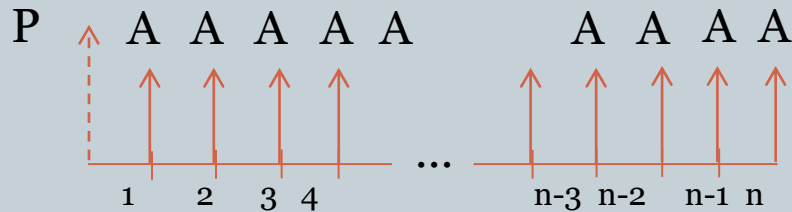


$$A = F \frac{i}{(1+i)^n - 1}, \text{ where } SF = \frac{i}{(1+i)^n - 1}$$

# Series Present Worth (SPW)



- Given-A, Find-P
- Other data given:  $n, i$

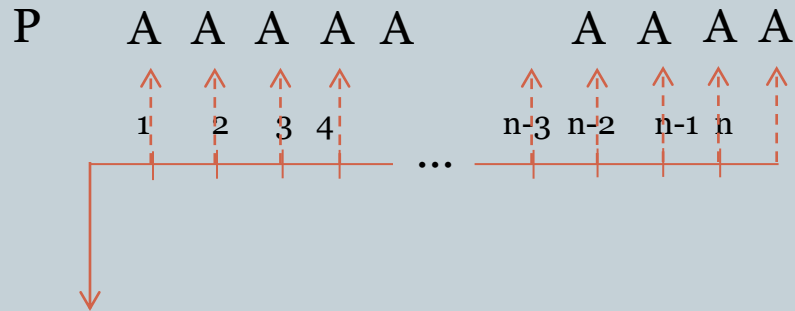


$$P = A \frac{(1+i)^n - 1}{i(1+i)^n}, \text{ where SPW} = \frac{(1+i)^n - 1}{i(1+i)^n}$$

# Capital Recovery (CR)



- Given-P, Find-A
- Other data given:  $n, i$



$$A = P \frac{i(1+i)^n}{(1+i)^n - 1}, \text{ where } CR = \frac{i(1+i)^n}{(1+i)^n - 1}$$

# Example-1



- \$ 100 kept at 6% compound interest for 7 years, what will be the amount at end of 7 years?

$$F = P(1+i)^n$$

$$\begin{aligned} F &= 100(CA)_{i,n} \\ &= 100(CA)_{6,7} \\ &= 100 (1.5036) \end{aligned}$$

$$F = \$ 150.36$$

- What will be the amount after 12 years, using 6% interest

$$F = 100 (CA)_{12,7} = 100(2.0121) = \$ 201.21$$

## Example-2



- \$ 100 due in 7 years. What is its present worth?

$$P = 100$$

$$P = 100 (.6651)$$

$$P = \$ 66.51$$

- What is the present worth of a \$100 bond after 12 years?

$$P = 100$$

$$= 100 (0.4970) = \$ 49.70$$

## Example-3



- Annual savings of \$ 100 for 7 years at 6%?

Future amount will be

$$\begin{aligned} F &= 100(\text{SCA})_{6,7} \\ &= 100 * 8.394 = \$839.38 \end{aligned}$$

- What will be annual deposit that will accumulate to \$100 at 6% after 7 years?

$$A = 100 (\text{SF})_{6,7} = 100 (0.11914)$$

$$A = \$ 11.91$$

## Example-4



What is the present worth at 6% interest of \$ 100 receivable each year for 7 years?

$$P = 100 (\text{SPW})_{6,7} = 100 (5.582)$$

$$P = \$ 558.20$$



## Example-5



- A \$100 initial fund that earns interest at 6% on its balance could be exactly paid out in 7 years

$$\begin{aligned} A &= 100 (\text{CR})_{6, 7} \\ &= 100 (0.17913) \end{aligned}$$

$$A = \$ 17.91$$