Hybrid Empirical Ground-Motion Prediction Equations for Eastern North America Using NGA Models and

**Updated Seismological Parameters** 

Shahram Pezeshk

The University of Memphis, Department of Civil Engineering

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Hybrid Empirical Method
Hybrid Empirical Method:
$Y_{estimated}^{ENA} = Y_{empirical}^{WNA} \times \frac{Y_{stochastic}^{ENA}}{Y_{stochastic}^{WNA}}$
Adjustment factor
(accounts for earthquake source, wave propagation and site-response differences between the two regions)
The hybrid empirical method is used by several authors to develop ground-motion prediction equations in ENA (Campbell, 2003, 2007, 2008; Tavakoli and Pezeshk, 2005).







## Stochastic Simulations

- □ In this study, the computer program gm\_td\_drvr, one of the SMSIM programs is used to perform the point-source stochastic simulation of ground-motion amplitudes for both WNA and ENA.
- □ To mimic the finite-fault effects in point-source simulations, the effective distance,  $R'_{rup}$ , of Atkinson and Silva (2000) is used in stochastic simulations.

$$R_{rup}' = \sqrt{R_{rup}^2 + h^2}$$

 $\log h = -0.05 + 0.15M$ 



### **Seismological Parameters for ENA**

#### **Stress Parameter**

- □ Boore *et al.* (2010) determined the stress parameter for eight well-recorded earthquakes in ENA.
- □ They showed that estimates of  $\Delta\sigma$  are correlated to the rate of geometrical spreading at close distances using SMSIM point-source simulations.
- They evaluated a geometric-mean Δσ of 250 bars for the Atkinson (2004) attenuation model. (Saguenay earthquake is included)
- Atkinson and Assatourians (2010) found a stress parameter of 250 bars for the magnitude 5.0 Val-des-Bois Quebec earthquake.
- Atkinson et al. (2009) and Boore (2009) found that the stress parameter of 250 bars should be used in SMSIM simulations in order to attain agreement with the Atkinson and Boore (2006) finite-fault predictions. 11





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#### **Seismological Parameters for WNA**

#### **Stress Parameter**

- Atkinson and Silva (2000) introduced two-corner-frequency point-source spectrum model for California.
- □ The double-corner-frequency source model and the Brune single-corner frequency spectrum with the stress parameter of 80 bars was close for moment magnitudes  $(M_w)$  less than 6.0.
- In this study, a stress parameter of 80 bars is used for the point-source stochastic simulations for WNA using the Brune single-corner frequency model.



## **Seismological Parameters for WNA**

#### Path Model

□ The path model of Raoof *et al.* (1999) is used in this study for the simulation of ground motions in WNA. The same model used in Atkinson and Silva (2000).

## **Seismological Parameters for WNA**

#### Site Effects

- □ Atkinson and Silva (2000) used the amplifications for generic rock sites introduced by Boore and Joyner (1997) for WNA to derive a model for California ( $V_{s_{30}} \ge 620 \text{ m/s}$ ).
- U We used the  $\kappa_0$  value of 0.04 for the rock sites in WNA (Atkinson and Silva, 1997; Anderson and Hough, 1984).

Parameter	WNA	ENA
Source spectrum model	Single-corner-frequency $\omega^{-2}$	Single-corner-frequency $\omega^{-2}$
Stress parameter, $\Delta\sigma$ (bars)	80	250
Shear-wave velocity at source depth,	3.5	3.7
β <sub>s</sub> (km/s)		
Density at source depth,	2.8	2.8
$\rho_s (gm/cc)$		
Geometric spreading, $Z(R)$	$\begin{cases} R^{-1.0}; R < 40  km \\ R^{-0.5}; R \ge 40  km \end{cases}$	$\begin{cases} R^{-1.3}; R < 70  km \\ R^{+0.2}; 70 \le R < 140  km \\ R^{-0.5}; R \ge 140  km \end{cases}$
Quality factor, $Q$	$180f^{0.45}$	$\max(1000, 893 f^{0.32})$
Source duration, $T_s(sec)$	$1/f_a$	$1/f_a$
Path duration, $T_p$ (sec)	0.05 <i>R</i>	$\begin{cases} 0; & R \le 10  km \\ +0.16R;  10 < R < 70  km \\ -0.03R;  70 < R \le 130  km \\ +0.04R;  R > 130  km \end{cases}$
Site amplification, $A(f)$	Boore and Joyner (1997)	Atkinson and Boore (2006)
Kappa, $\kappa_0$ (sec)	0.04	0.005



Hybrid Empirical Ground-Motion Prediction Equations for Eastern North America

- Median hybrid empirical estimates of ENA ground motion are obtained by scaling the WNA empirical relations using theoretical modification factors.
- □ The model is evaluated for moment magnitudes 5.0 to 8.0 and for rupture distances up to  $R_{rup}$  = 1000 km.
- The hybrid empirical estimates are used in a nonlinear least-square regression to develop the GMPEs.



Hybrid Empirical Ground-Motion Prediction Equations for Eastern North America

 $log(\overline{Y}) = c_1 + c_2 M_W + c_3 M_W^2 + (c_4 + c_5 M_W) \times \min\{log(R), log(70)\}$  $+ (c_6 + c_7 M_W) \times \max[\min\{log(R/70), log(140/70)\}, 0]$  $+ (c_8 + c_9 M_W) \times \max\{log(R/140), 0\} + c_{10} R$ 

where

$$R=\sqrt{R_{rup}^2+c_{11}^2}$$

The mean aleatory standard deviation of to be associated with the predictions is defined as a function of earthquake magnitude and is modeled as follows:

$$\sigma_{\log(\bar{Y})} = \begin{cases} c_{12}M_w + c_{13} & M \le 7\\ -6.95 \times 10^{-3}M_w + c_{14} & M > 7 \end{cases}$$





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