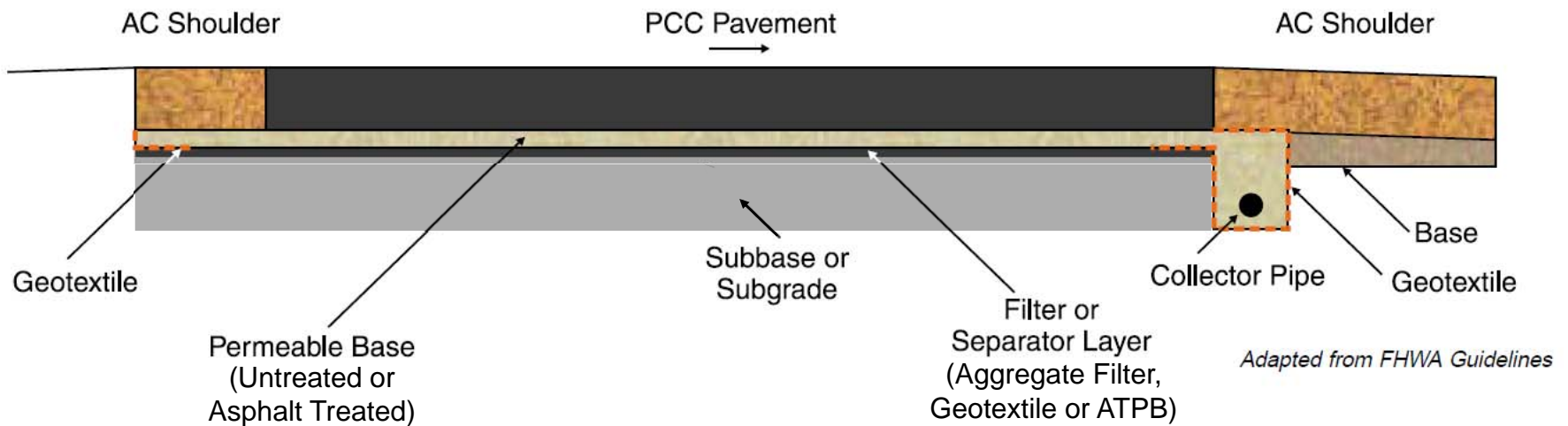


Subsurface Drainage Structures

Subsurface Drainage Structures



Permeability of Clean Sands

permeability
(cm/s)

effective
grain size
(mm)

$$k = C_k D_{10}^2$$

Hazen's
coefficient
(0.8 - 1.2)

The diagram illustrates the equation $k = C_k D_{10}^2$ for the permeability of clean sands. It shows that permeability (in cm/s) and effective grain size (in mm) are the primary variables, with Hazen's coefficient (ranging from 0.8 to 1.2) acting as a multiplier for the grain size squared.

Permeability of Drainage Materials

permeability
(ft/day)

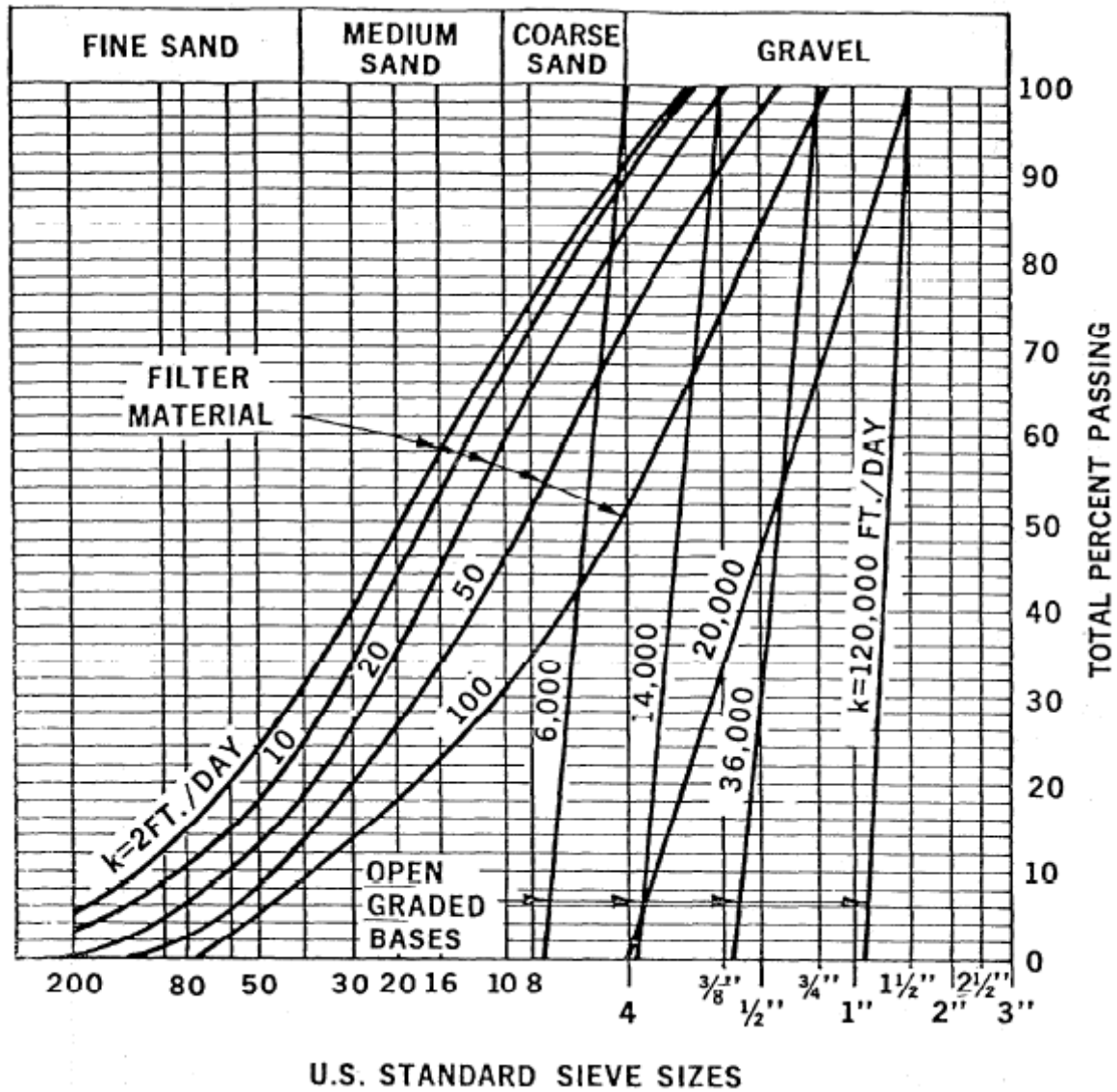
effective
grain size
(mm)

porosity

$$k = (6.214 \times 10^5) \frac{D_{10}^{1.478} n^{6.654}}{P_{200}^{0.597}}$$

portion passing
No. 200 sieve
(%)

The diagram illustrates the relationship between permeability (k) and three material properties: effective grain size (D₁₀), porosity (n), and the portion passing a No. 200 sieve (P₂₀₀). The equation shows that permeability is directly proportional to D₁₀^{1.478} and n^{6.654}, and inversely proportional to P₂₀₀^{0.597}. Blue arrows point from the labels to their respective variables in the equation: D₁₀ and n are in the numerator, while P₂₀₀ is in the denominator. A red arrow points from the permeability label to the variable k.



Source: Moulton (1990) "Highway Subdrainage Design," FHWA TS-80-224

Effective Porosity and Water Loss

$$n_e = n - \frac{\gamma_d w_c}{\gamma_w}$$

$$n = 1 - \frac{\gamma_d}{G_s \gamma_w} = \frac{G_s \gamma_w - \gamma_d}{G_s \gamma_w}$$

$$W_L = \frac{n_e}{n} \times 100\%$$

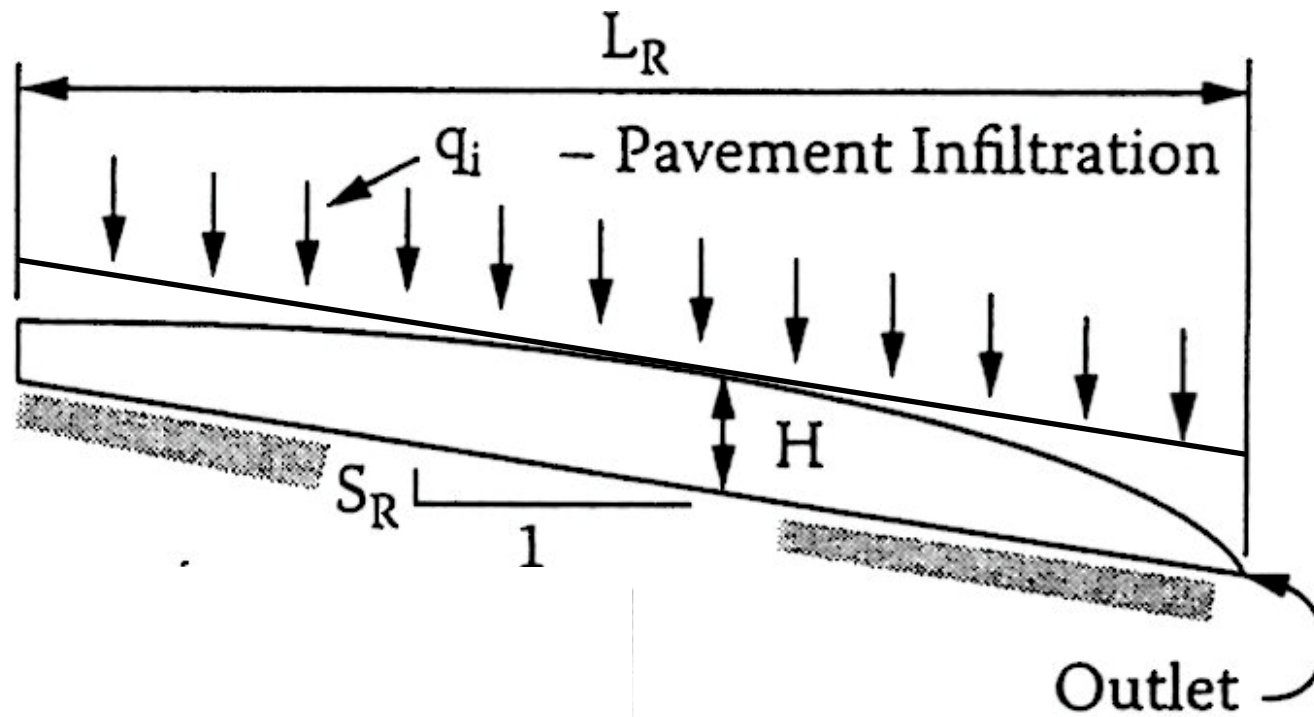
w_c = moisture content after draining

Water Loss Percentage

	< 2.5% Fines			5% Fines			> 5% Fines		
	Filler	Silt	Clay	Filler	Silt	Clay	Filler	Silt	Clay
Gravel	70	60	40	60	40	20	40	30	10
Sand	57	50	35	50	35	15	25	18	8

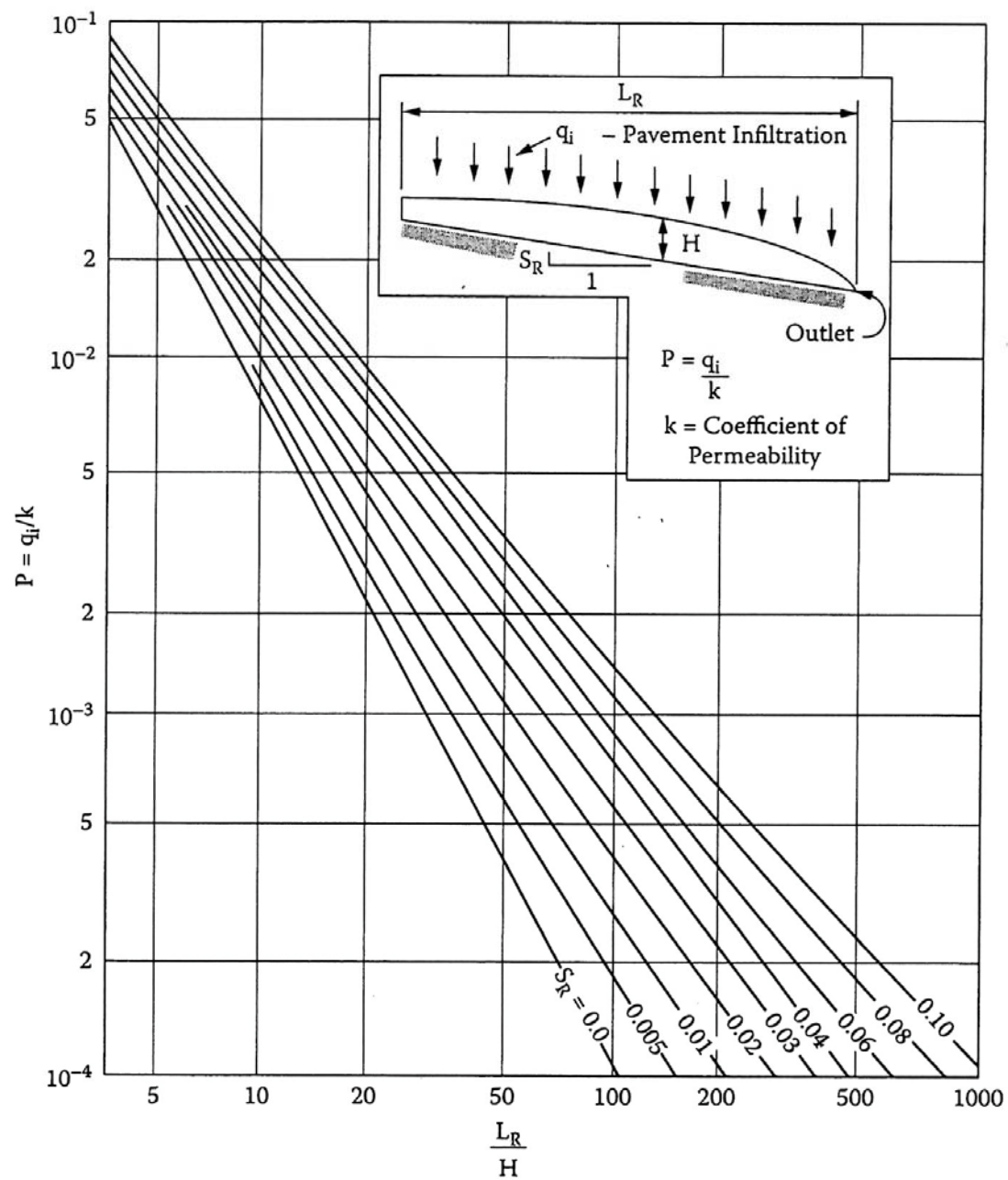
Source: FHWA (1992).

Maximum Depth of Flow



$$H_1 = \sqrt{\frac{q_i}{k}} L_R \left[\left(\frac{S}{\sqrt{\frac{4q_i}{k-s^2}}} \right) \left(\tan^{-1} \frac{S}{\sqrt{\frac{4q_i}{k-s^2}}} - \frac{\pi}{2} \right) \right] \quad (6.19)$$

Figure 6.14



Example 1 (Continued)

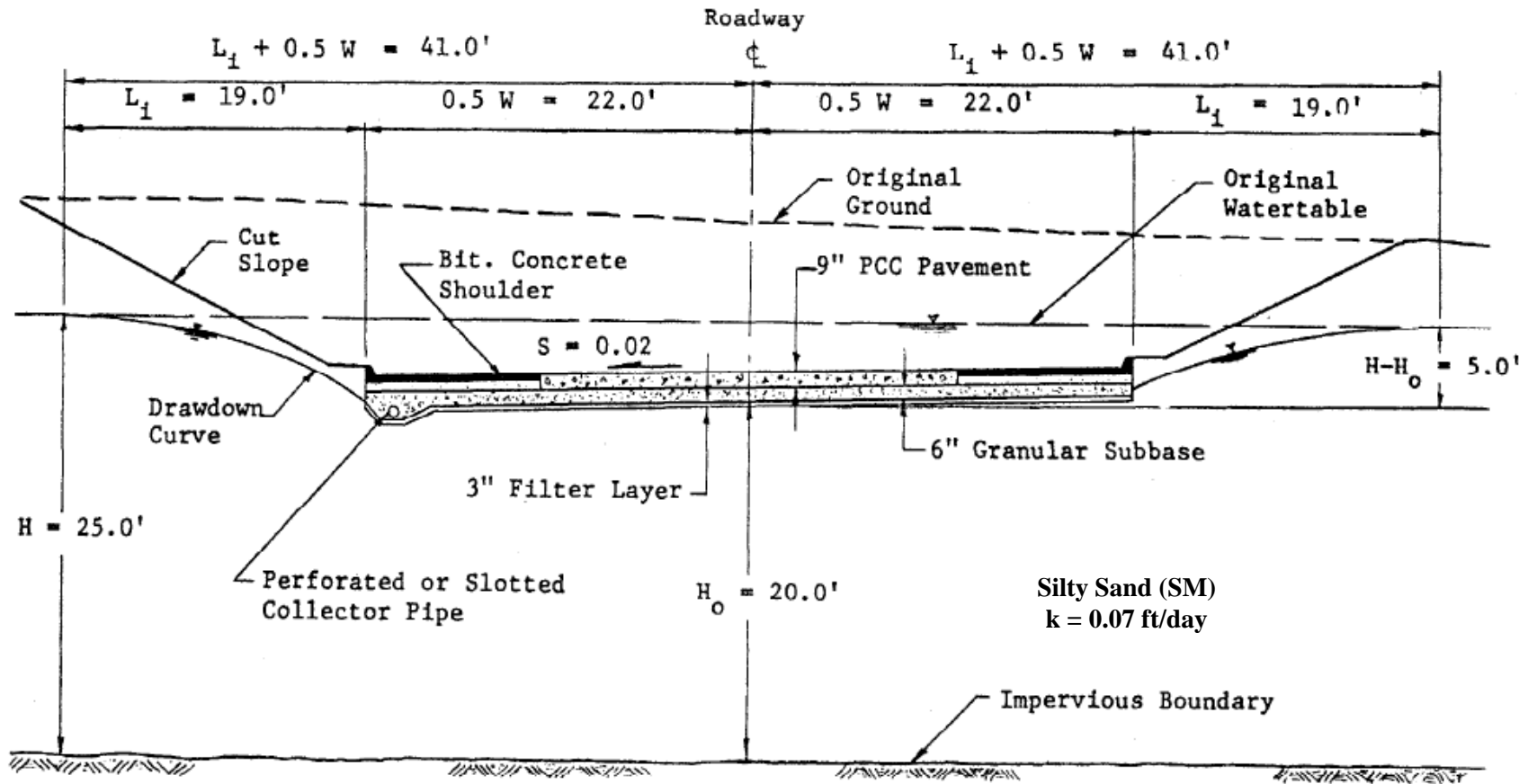
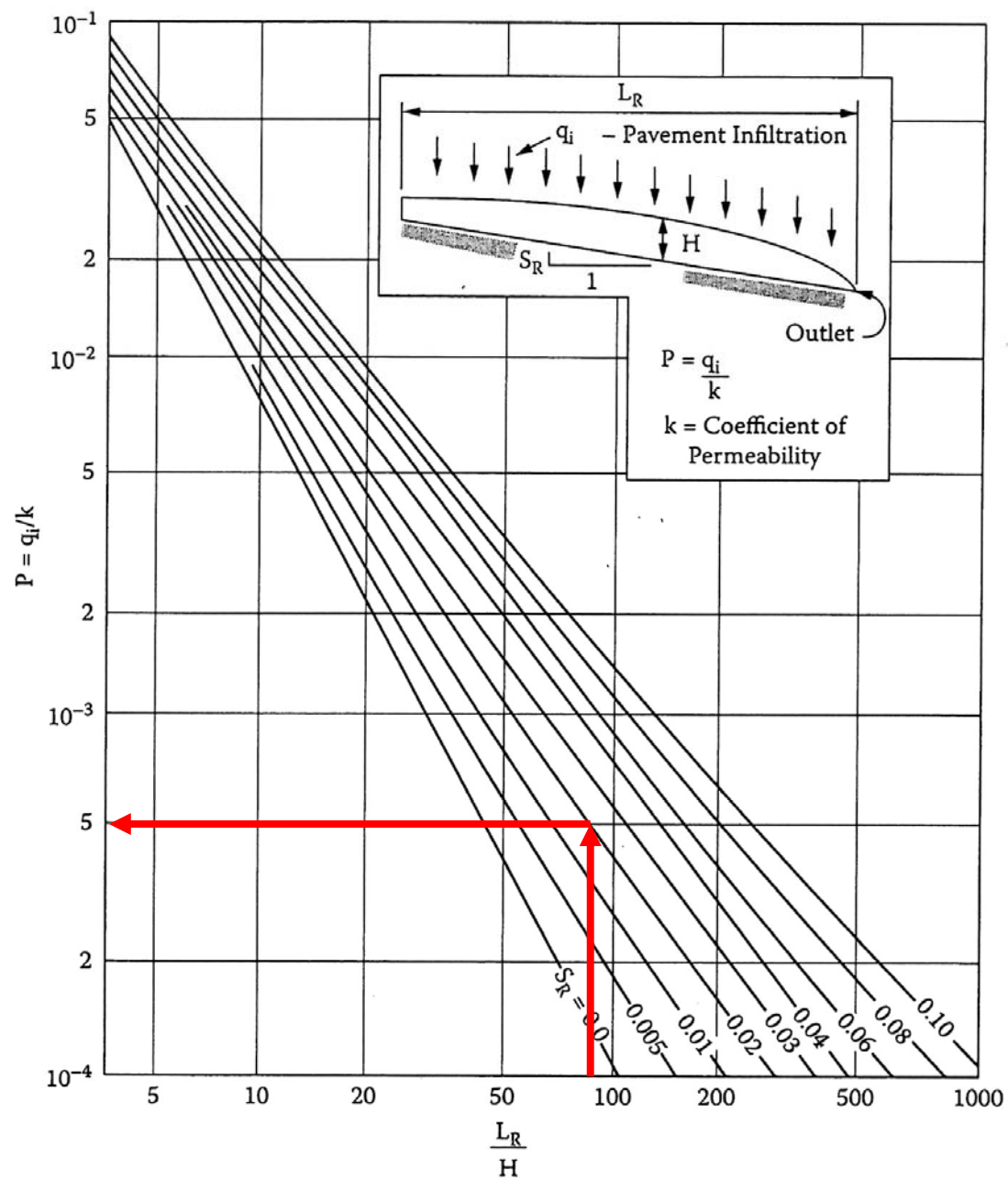
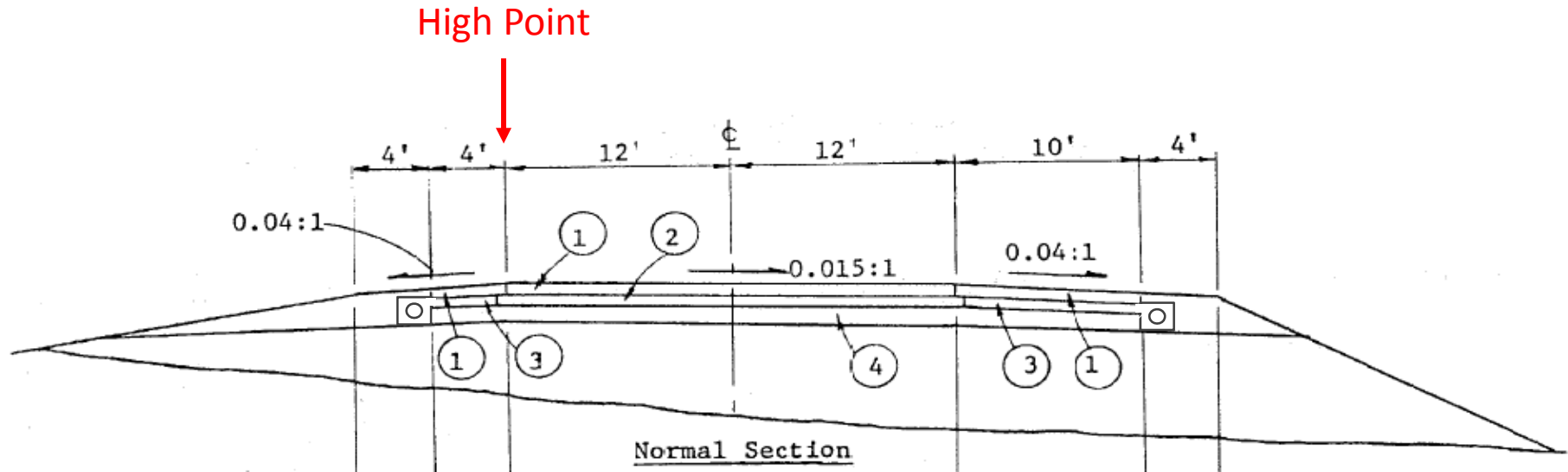


Figure 6.14

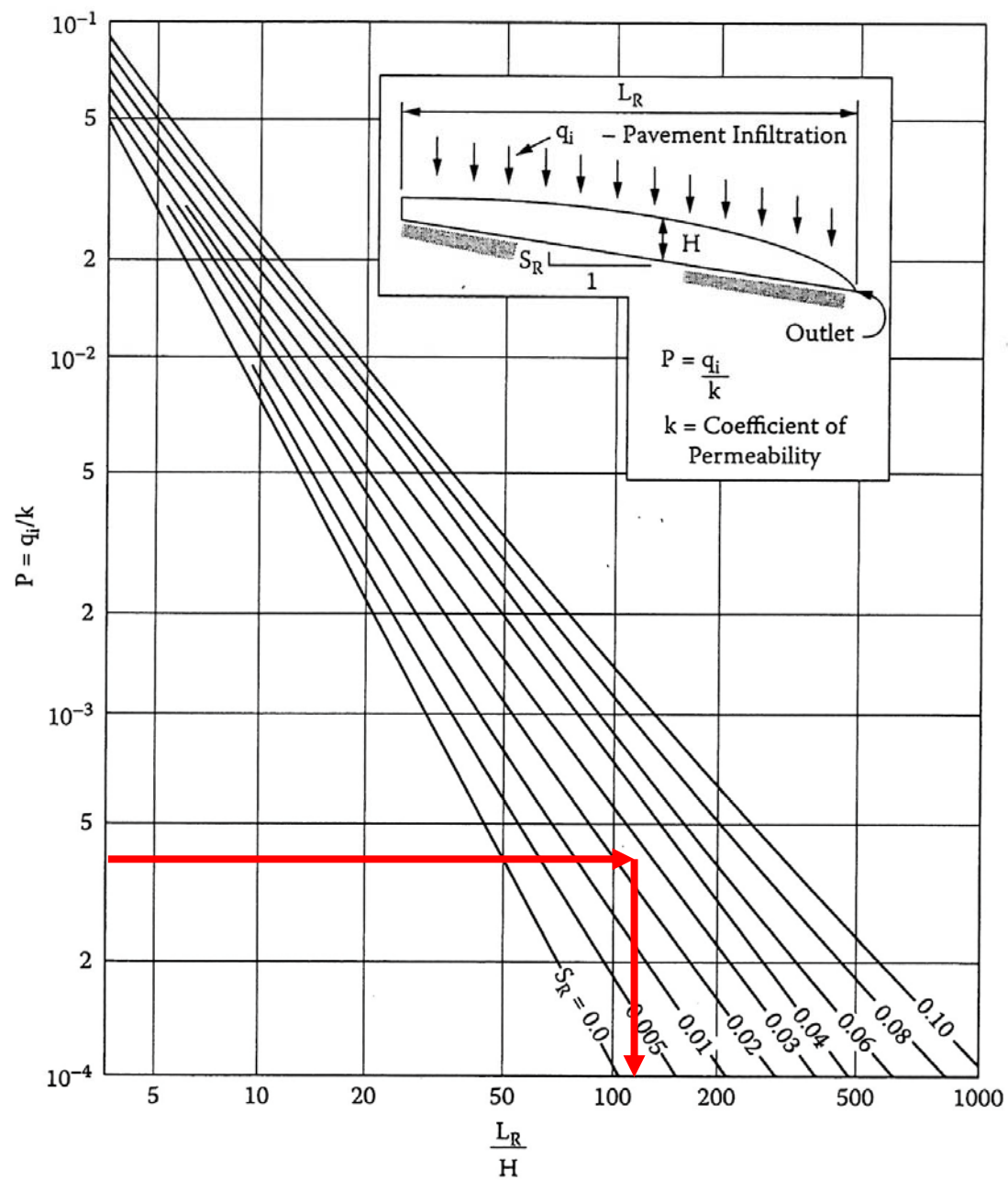


Example 2 (Continued)



- ① - 6" Hot Mixed Asphaltic Concrete (3" Surf., 3" Binder)
- ② - 6" Cement Stabilized Aggregate Base
- ③ - 6" Aggregate Base
- ④ - 12" Dense Graded Aggregate Subbase

Figure 6.14



Casagrande & Shannon

$$T = \frac{tkH}{n_e L_R^2} \quad , \quad S_1 = \frac{H}{L_R S_R}$$

where: k = permeability of the drainage layer (ft/day)

n_e = effective porosity

H = height of the granular layer (ft)

L_R = length of the drainage path (ft)

S_R = slope of the drainage path (ft/ft)

t = time to drain a given percentage of the moisture (days)

Casagrande & Shannon

For $U \geq 0.5$

$$T = \left(1.2 - \frac{0.4}{\sqrt[3]{S_1}} \right) \left[S_1 - S_1^2 \ln \left(\frac{S_1 + 1}{S_1} \right) + S_1 \ln \frac{2S_1 - 2US_1 + 1}{(2 - 2U)(S_1 + 1)} \right]$$

For $U \leq 0.5$

$$T = \left(1.2 - \frac{0.4}{\sqrt[3]{S_1}} \right) \left[2US_1 - S_1^2 \ln \left(\frac{S_1 + 2U}{S_1} \right) \right]$$

Casagrande & Shannon

For U = 0.5

$$T = \left(1.2 - \frac{0.4}{\sqrt[3]{S_1}} \right) \left[S_1 - S_1^2 \ln \left(\frac{S_1 + 1}{S_1} \right) \right] = \frac{\text{tkH}}{n_e L_R^2}$$

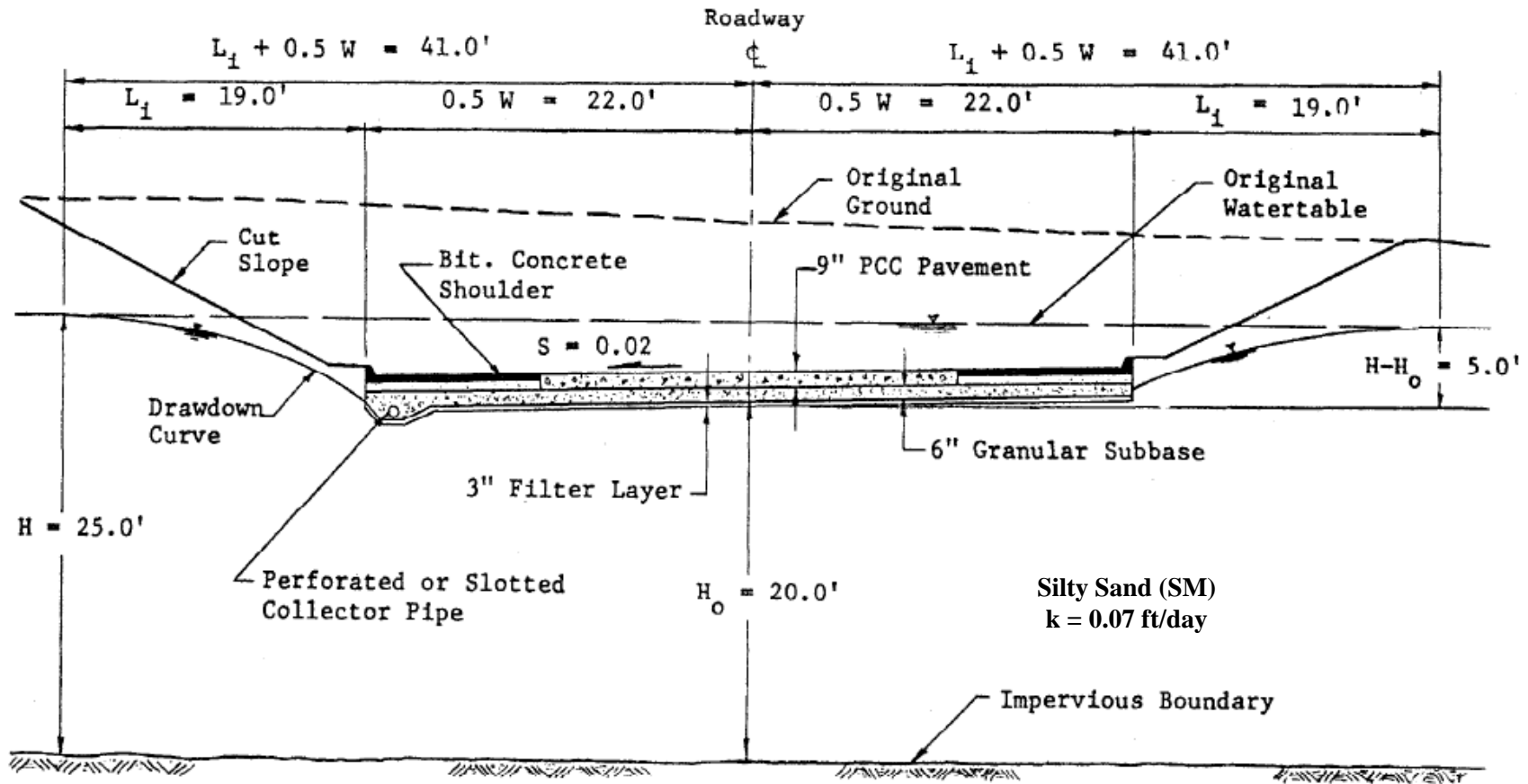
$$S_1 = \frac{H}{L_R S_R}$$

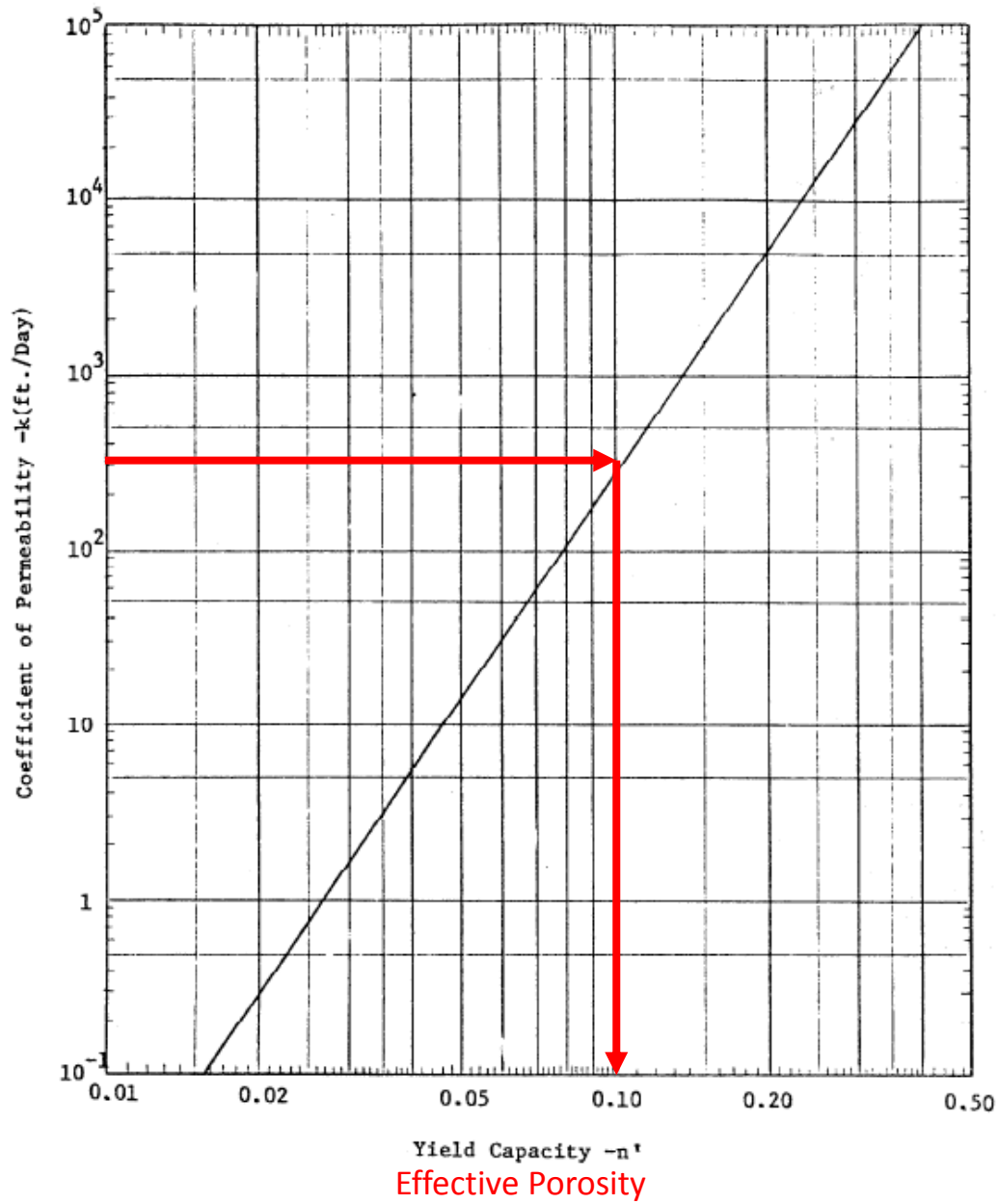
AASHTO Drainage Quality

<u>Water removal time</u>	<u>Quality of drainage</u>
2 h	Excellent
1 Day	Good
1 Week	Fair
1 Month	Poor
Water will not drain	Very poor

Figure 6.16 (Step 1)

Example 1 (Continued)



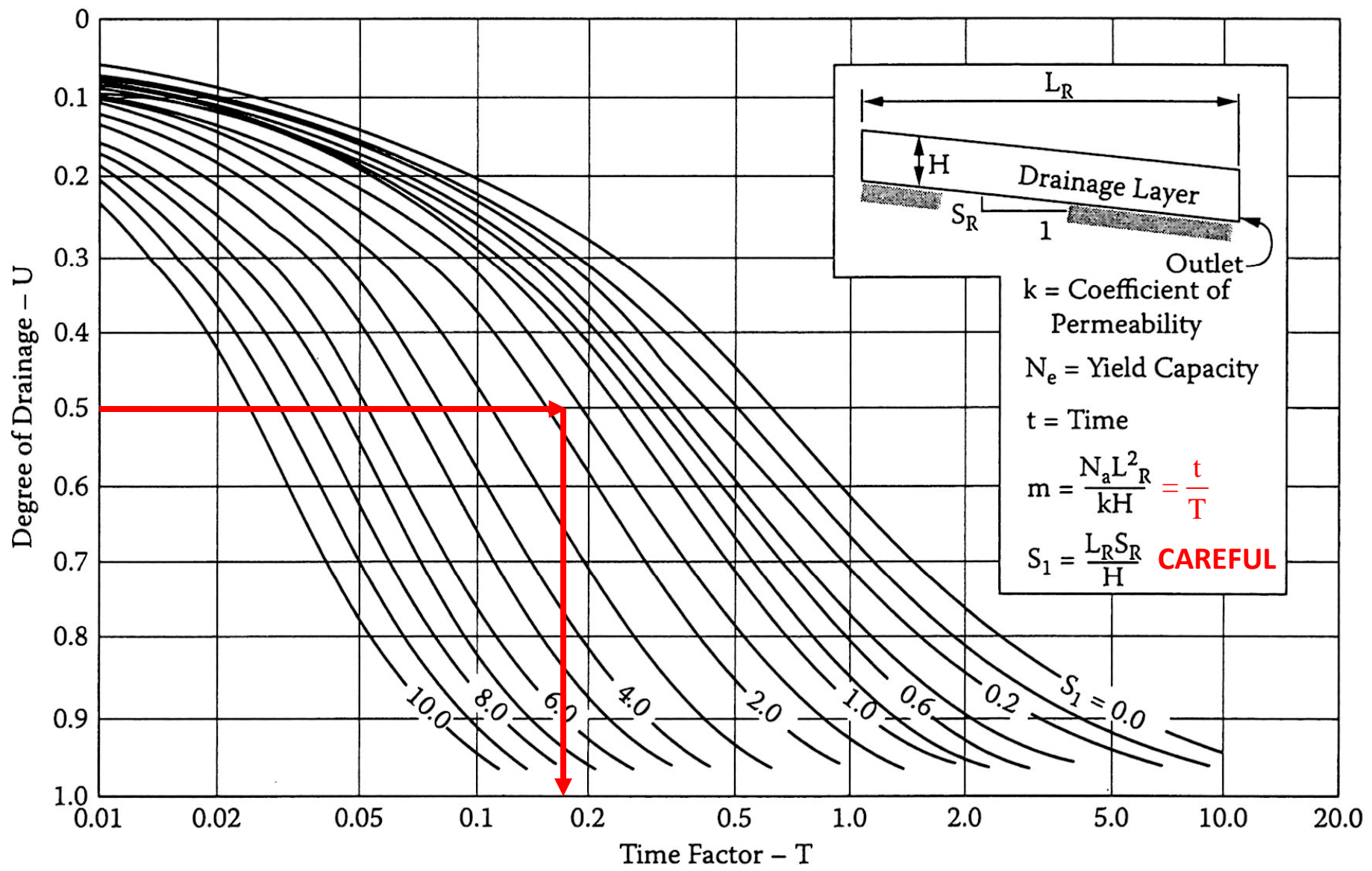


Source: Moulton (1990) "Highway Subdrainage Design," FHWA TS-80-224

Water Loss Percentage

	< 2.5% Fines			5% Fines			> 5% Fines		
	Filler	Silt	Clay	Filler	Silt	Clay	Filler	Silt	Clay
Gravel	70	60	40	60	40	20	40	30	10
Sand	57	50	35	50	35	15	25	18	8

Source: FHWA (1992).



Degree of Drainage - U

Time Factor - T

Drainage Layer

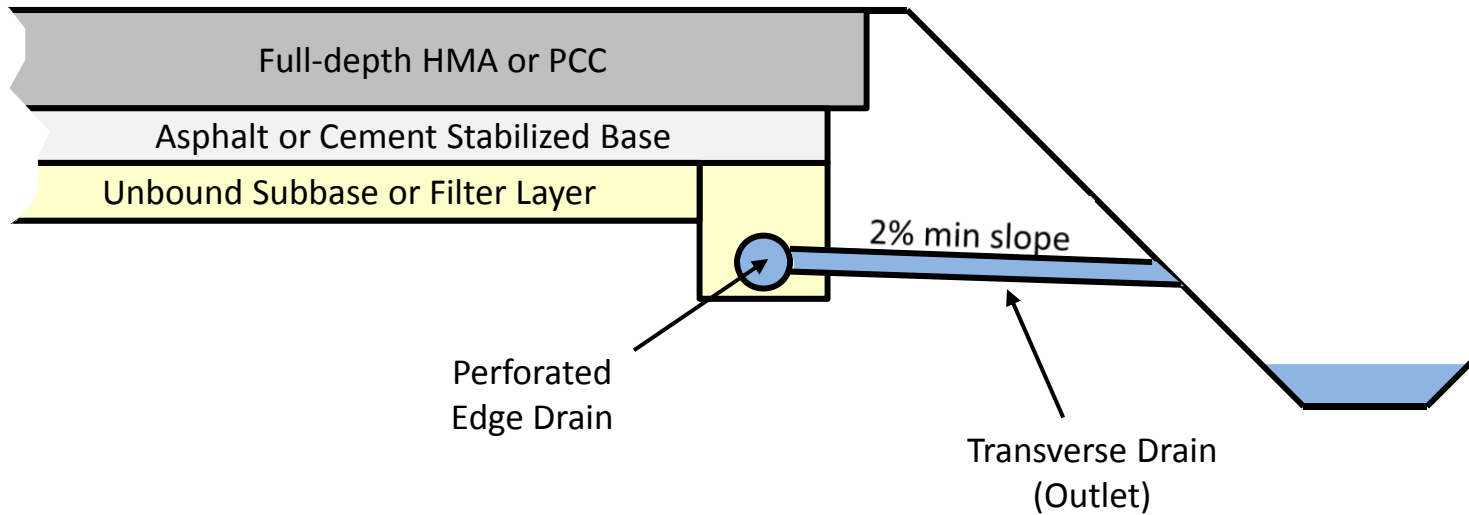
$k =$ Coefficient of Permeability
 $N_e =$ Yield Capacity

$t =$ Time
 $m = \frac{N_a L_R^2}{kH} = \frac{t}{T}$

$S_1 = \frac{L_R S_R}{H}$ **CAREFUL**

Edge Drain Design

Edge Drain Design



After: TXDOT Pavement Design Guide

Design Flow Capacity

$$Q = Q_p L_o$$

Q = pipe flow capacity (ft³/day or m³/day)

Q_p = design discharge rate (ft³/day/ft or m³/day/m)

L_o = outlet spacing (ft or m)

Design Discharge Rate

(Based on Peak Flow)

$$Q_p = kS_x H$$

← Blanket is full to the top

- k = drainage layer permeability (ft/day or m/day)
 S_x = drainage layer transverse slope (ft/ft or m/m)
H = drainage layer thickness (ft or m)

Design Discharge Rate

(Based on Infiltration Rate)

$$Q_p = q_i W$$

q_i = pavement infiltration (ft/day or m/day)

W = drainage layer width (ft or m)

Design Flow

$$q_n = q_i + \max(q_g, q_a, q_m)$$

Design Discharge Rate

(Based on Infiltration Rate + Groundwater Flow)

$$Q_p = q_n W + q_1$$

← Groundwater flow from above the drain

q_n = design flow into drainage blanket (ft/day or m/day)

W = drainage layer width (ft or m)

q_1 = gravity drainage (ft/day or m/day)

Design Discharge Rate

(Based on Time to Drain)

$$Q_p = \frac{WHn_e U}{t}$$

W = drainage layer width (ft or m)

H = drainage layer thickness (ft or m)

n_e = drainage layer effective porosity

U = fraction of drainage occurring in time t

t = time for drainage U to be reached (days)

Manning's Equation

$$Q = \frac{K}{n} S^{1/2} R^{2/3} A$$

Q = flow capacity (ft³/s or m³/s)

K = conversion factor (1.4859 for English or 1 for metric)

n = Manning's roughness coefficient

S = channel slope (ft/ft or m/m)

R = hydraulic radius (ft or m)

A = cross-sectional area of flow (ft² or m²)

Manning's Equation

$$Q = \frac{K}{n} S^{1/2} \left(\frac{D}{4} \right)^{2/3} \pi \left(\frac{D}{2} \right)^2$$

Q = flow capacity (ft³/s or m³/s)

K = conversion factor (1.4859 for English or 1 for metric)

n = Manning's roughness coefficient

S = edge drain slope (ft/ft or m/m)

D = pipe diameter (ft or m)

Manning's Equation

$$Q = \frac{53.01}{n} S^{1/2} D^{8/3}$$

Q = flow capacity (ft³/day)

n = Manning's roughness coefficient

S = edge drain slope (ft/ft or m/m)

D = pipe diameter (in)

Typical Drain Pipe



Slotted Drain Pipe
 $n = 0.012$



Corrugated Drain Pipe
 $n = 0.024$

Example 1

