

1

Chapter 5 – Deflection

- In addition to being safe, a structure must be **serviceable**.
- A **serviceable structure** is one that **performs satisfactorily**, not causing any **discomfort or perceptions of unsafety** for the occupants or users of the structure.
- For a beam, being serviceable usually means that the **deformations**, primarily the vertical sag or deflection, **must be limited**.
- **Excessive deflection** is usually an indication of a **very flexible** beam, which can lead to problems with vibrations.

2

Chapter 5 – Deflection

- The deflection itself could cause problems if elements attached to the beam can be **damaged by small distortions**.
- In addition, users of the structure may view large deflections negatively and wrongly **assume that the structure is unsafe**.
- For the common case of a simply supported, uniformly loaded beam, the **maximum vertical deflection** is:

$$\Delta = \frac{5wL^4}{384EI}$$
- Deflection formulas for a variety of beams and loading conditions can be found in **Table 3-22**, Part 3, “Design of Flexural Members,” of the Manual.

3

Chapter 5 – Deflection

- The appropriate limit for the **maximum deflection** depends on the function of the beam and the likelihood of damage resulting from the deflection.
- The **AISC Specification** furnishes **little guidance** other than a statement in **Chapter L**, “Design for Serviceability,” that deflections should not be excessive.
- There is, however, a more detailed discussion in the **Commentary to Chapter L**.

Historically, common deflection limits for horizontal members have been **1/360** of the span for floors subjected to reduced live load and **1/240** of the span for roof members. Deflections of about 1/300 of the span (for cantilevers, 1/150 of the length) are visible and may lead to general architectural damage or cladding leakage. Deflections greater than 1/200 of the span may impair operation of moveable components such as doors, windows, and sliding partitions.

4

Chapter 5 – Deflection

- Appropriate **limits for deflection** can usually be found from the governing building code, expressed as a fraction of the span length **L**, such as **L/360**.
- Sometimes a **numerical limit**, such as 1 inch, is appropriate.

5

Chapter 5 – Deflection

- The limits given in the **International Building Code (ICC, 2021)** are typical.

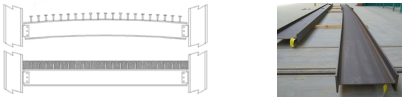
TABLE 1604.3 DEFLECTION LIMITS^{a, b, c, h, i}

CONSTRUCTION	L or L _r	S or W ^f	D + L ^{g, g}
Roof members ^a			
Supporting plaster or stucco ceiling	l/360	l/360	l/240
Supporting nonplaster ceiling	l/240	l/240	l/180
Not supporting ceiling	l/180	l/180	l/120
Floor members	l/360	—	l/240
Exterior walls:			
With plaster or stucco finishes	—	l/360	—
With other brittle finishes	—	l/240	—
With flexible finishes	—	l/120	—
Interior partitions: ^b			
With plaster or stucco finishes	l/360	—	—
With other brittle finishes	l/240	—	—
With flexible finishes	l/120	—	—
Farm buildings	—	—	l/180
Greenhouses	—	—	l/120

6

Chapter 5 – Deflection

- The limits shown in the **IBC Table** for deflection due to dead load plus live load **do not apply** to steel beams, because the dead load deflection is usually compensated for by some means, such as **cambering**.
- **Camber** is a curvature in the opposite direction of the dead load deflection curve and can be accomplished by bending the beam, with or without heat.
- When the **dead load** is applied to the **cambered beam**, the curvature is removed, and the beam becomes level.



7

Chapter 5 – Deflection

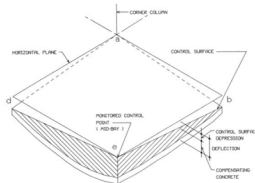
- The limits shown in the **IBC Table** for deflection due to dead load plus live load **do not apply** to steel beams, because the dead load deflection is usually compensated for by some means, such as **cambering**.
- **Camber** is a curvature in the opposite direction of the dead load deflection curve and can be accomplished by bending the beam, with or without heat.



8

Chapter 5 – Deflection

- Therefore, **only the live load deflection** is of concern in the completed structure.
- Dead load deflection can also be accounted for by pouring a **variable-depth slab** with a level top surface, the variable depth being a consequence of the deflection of the beam (this is referred to as **ponding of the concrete**).



9

Chapter 5 – Deflection

- **Example 5.9:** Compute the dead load and live load deflections for the **W16 x 40** beam shown. If the maximum permissible live load deflection is **L/360**, is the beam satisfactory?

From Table 1-1 (1-22):

$$I_x = 518 \text{ in}^4$$

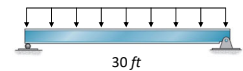
$$w_D = 0.6 \text{ k/ft}$$

$$w_L = 0.85 \text{ k/ft}$$

The dead load deflection is:

$$\Delta_D = \frac{5w_D L^4}{384EI}$$

$$= \frac{5(0.6 \text{ k/ft})(1 \text{ ft}/12 \text{ in})(360 \text{ in})^4}{384(29,000 \text{ ksi})(518 \text{ in}^4)} = 0.728 \text{ in}$$



10

Chapter 5 – Deflection

- **Example 5.9:** Compute the dead load and live load deflections for the **W16 x 40** beam shown. If the maximum permissible live load deflection is **L/360**, is the beam satisfactory?

From Table 1-1 (1-22):

$$w_D = 0.6 \text{ k/ft}$$

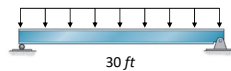
$$w_L = 0.85 \text{ k/ft}$$

$$I_x = 518 \text{ in}^4$$

The live load deflection is:

$$\Delta_L = \frac{5w_L L^4}{384EI}$$

$$= \frac{5(0.85 \text{ k/ft})(1 \text{ ft}/12 \text{ in})(360 \text{ in})^4}{384(29,000 \text{ ksi})(518 \text{ in}^4)} = 1.031 \text{ in}$$



11

Chapter 5 – Deflection

- **Example 5.9:** Compute the dead load and live load deflections for the **W16 x 40** beam shown. If the maximum permissible live load deflection is **L/360**, is the beam satisfactory?

From Table 1-1 (1-22):

$$w_D = 0.6 \text{ k/ft}$$

$$w_L = 0.85 \text{ k/ft}$$

$$I_x = 518 \text{ in}^4$$

The max deflection is:

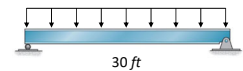
$$\frac{L}{360} = \frac{360 \text{ in}}{360} = 1.0 \text{ in}$$

$$\frac{L}{360} > \Delta_D$$

O.K.

$$\frac{L}{360} < \Delta_L$$

N.G.



12

Chapter 5 – Beams

Any questions?

