









## Group Problem #3

Estimate the total error is the estimated error per 100 ft. is  $\pm 0.04$  ft. and the measurements are 511.33, 726.32, 954.86, and 1,410.11 ft.

$$\boldsymbol{E}_{Total} = \pm \sqrt{\boldsymbol{E}_1^2 + \boldsymbol{E}_2^2 + \ldots + \boldsymbol{E}_n^2}$$

$$E_3 = \pm 0.0\overline{4} \text{ ft.} \sqrt{9.5486} = \pm 0.\overline{1}236... \text{ ft.} = \pm 0.\overline{1} \text{ ft.}.$$

$$E_4 = \pm 0.0\overline{4} \text{ ft.} \sqrt{14.1011} = \pm 0.\overline{1}502... \text{ ft.} = \pm 0.\overline{2} \text{ ft.}$$















## Introduction to Measurements

## Group Problem #6

The 18 interior angles of a polygon are being measured with a theodolite. Specifications require that the estimated total error may not exceed  $\pm 60$  seconds. How accurately must each angle be measured?

$$E_{Total} = \pm E \sqrt{n} \implies \pm E = \frac{E_{Total}}{\sqrt{n}}$$
$$\pm E = \frac{\pm \overline{60}"}{\sqrt{18}} = \pm \overline{14}.142..." = \pm \overline{14}"$$













Introduction to Measurements
Any Questions?